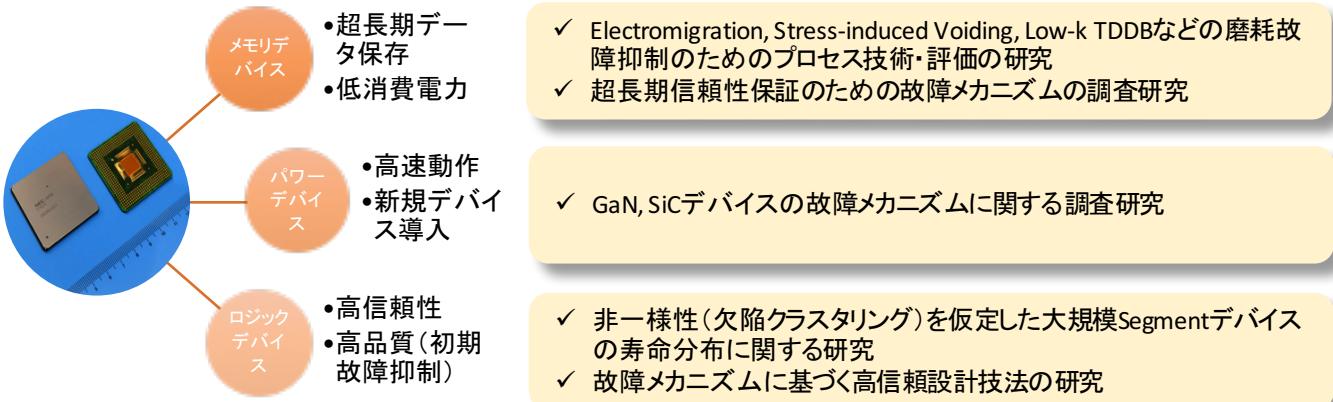


横川慎二 研究室

i-パワードエネルギー・システム研究センター（J専攻兼務）
西3号館 202・201 yokogawa@uec.ac.jp

研究テーマ②：半導体デバイスの超長期信頼性に関する研究



Void growth=Stress-induced Cu transportation

$$\frac{dV_v(t)}{dt} = J(t)\Omega \quad (1)$$

Change in void volume = Atomic flux \times Atomic volume

② Okabayashi's atomic transportation model (1993)

$$J(t) = A \frac{GD_{\text{eff}}}{kT} \left[\frac{\sigma(t)}{G} \right]^n \quad (2)$$

Atomic flux = Mobility \times Driving force

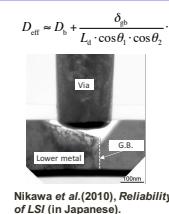
Relation between stress and void volume

$$\sigma(t) = \frac{1}{3} [\sigma_x(t) + \sigma_y(t) + \sigma_z(t)]$$

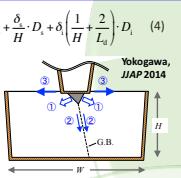
$$\approx \sigma(0) - \frac{EV_v(t)}{3(1-2\nu)V_{\text{ASRV}}} \quad (3)$$

- 1) Stress = Initial stress – Relaxation by void growth
- 2) Stress relaxation has a term in inverse proportion to Active Stress Relaxation Volume (ASRV)

bulk, grain boundaries, top interface, and liner interface



Nikawa et al.(2010), Reliability of LSI (in Japanese).

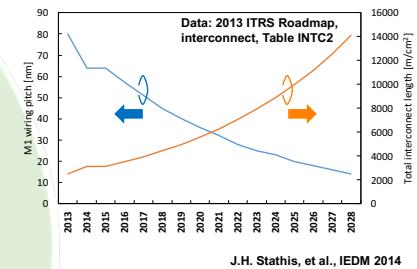


Time-dependent change in void volume is lead from eqns. (1), (2), and (3).

$$\frac{dV_v(t)}{dt} = AG\Omega D_{\text{eff}} \left[\frac{\sigma(0)}{G} - \frac{E}{3(1-2\nu)} \frac{V_v(t)}{GV_{\text{ASRV}}} \right]^n \quad (5)$$

Lifetime can be derived for a threshold of void volume that causes the open failure.

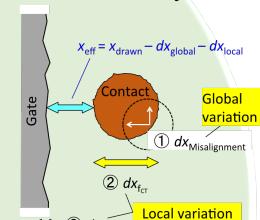
$$\tau = \frac{3(1-2\nu)V_{\text{ASRV}}kT}{(n-1)AE\Omega D_{\text{eff}}} \left[\left(\frac{G}{\sigma(\tau)} \right)^{n-1} - \left(\frac{G}{\sigma(0)} \right)^{n-1} \right] \quad (6)$$



Node	Gate Pitch	Gate Length	Contact	Best case spacer
32	120-130	30-35	20-40	25-30
22-14	80-100	25-30	20	18-25
10	65-75	20-23	20	12-16
7	45-55	12-18	15	9-12
5	35-45	9-16	12	7-9
3 ^Y	25-35	7-12	<12?	3-6?

Best case spacer = (GP-L_G-Contact)/2

The spacing between the gate and the S/D contact will become less than 10nm which is comparable to the gate dielectric thickness in early CMOS technology.



1. Weibull distribution

$$F(t) = 1 - \exp \left[- \left(\frac{t}{\eta} \right)^\beta \right]$$

2. Clustering model for lifetime distribution

$$F(t) = 1 - \left\{ 1 + \frac{D}{\alpha} \left(\frac{t}{\eta} \right)^\beta \right\}^{-\alpha}$$

$\alpha \rightarrow \infty$: Weibull distribution
 $D \rightarrow 1$: Wu, et al., APL (2013)

